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Title of the paper

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Dedicated to Professor Renato Tribuzy
on the occasion of his 75th birthday

Abstract. To be added.

Keywords: keyword 1, keyword 2.

2020 Mathematics Subject Classification: 12A34, 67B89.

1 Introduction

To be added.

2 Examples

To be added.

The second author is partially supported by.., e-mail: ..

2.1 A sample theorem

For writing theorems (and lemmas, corollaries, remarks, etc.), please use the adequate environment {theorem}, {lemma}, etc. These are all numbered in the same sequence. If needed, further environments may be specified by the \newtheorem command.

Definition 2.1. Here you can define something.

Theorem 2.2. *Under some conditions on f, the initial value problem has a unique solution.*

Proof. Here is the proof of the theorem. □

Corollary 2.3. *This is a corollary of Theorem 2.2.*

Proof. Here is the proof of the corollary. □

Remark 2.4. We remark that Definition 2.1 is correct.

Acknowledgements

We would like to thank you for following the above instructions. This will hep to speed up the publication process of your paper.

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